## PEOs for the Institution-PG

PEO1: The graduates use scientific and computational technology to solve social issues and pursue research.
PEO2:. Our graduates will continue to learn and advance their careers in industry both in public and private sectors, government and academia.

## PEOs for the PG Departments

## Mathematics

PEO3:Our graduates will have the ability to apply analytical and theoretical skills to model and solve mathematical problems and to work as efficient professionals .

## M.Sc. Mathematics (PO)

| PO No. | Upon completion of M.Sc. Degree Programme, the graduates will be able to <br> $:$ |
| :--- | :--- |
| PO - 1 | prepare successful professionals in industry, government, academia, research, <br> entrepreneurial pursuits and consulting firms. |
| PO - 2 | face and succeed in high level competitive examinations like NET, GATE and <br> TOFEL. |
| PO - 3 | carry out internship programmes and research projects to develop scientific <br> skills and innovative ideas. |
| PO - 4 | utilize the obtained scientific knowledge to create eco-friendly environment. |

## M.Sc. Mathematics (PSO)

| PSO <br> No. | Upon completion of the M.Sc. DegreeProgramme, the graduates <br> will be able to: | PO addressed |
| :--- | :--- | :--- |
| PSO - 1 | utilize the knowledge gained for entrepreneurial pursuits. | PO 1 |
| PSO - 2 | sharpen their analytical thinking, logical deductions and rigour in <br> reasoning. | PO 2 |
| PSO - 3 | use the techniques, skills and modern technology necessary to <br> communicate effectively with professional and ethical responsibilities. | PO 3 |
| PSO - 4 | understand the applications of mathematics in a global economic <br> environmental and societal context. | PO 4 |

## Course Outcomes

## Semester

: I
Major Core I
Name of the Course
Subject code

## : Algebra I

: PM2011

| CO No. | Upon completion of this course, students will be able to | PSOs <br> addressed | CL |
| :---: | :---: | :---: | :---: |
| CO-1 | understand the fundamental concepts of abstract algebra and give illustrations. | PSO-1 | U |
| CO-2 | analyze and demonstrate examples of various Sylow psubgroups, automorphisms, conjugate classes, finite abelian groups, characteristic subgroups, rings, ideals, Euclidean domain, Factorization domain. | PSO-2 | An |
| CO-3 | develop proofs for Sylow's theorems, finite abelian groups, direct products, Cauchy's theorem, Cayley's Theorem, automorphisms for groups. | PSO- 2 | C |
| CO-4 | develop the way of embedding of rings and design proofs for theorems related to rings, polynomial rings, Division Algorithm, Gauss' lemma and Eisenstein Criterion | PSO- 2 | C |
| CO -5 | apply the concepts of Cayley's theorem, Counting principles, Sylow's theorems, Rings and Ideals in the structure of certain groups of small order. | PSO-4 | Ap |

## Semester

Name of the Course
Subject code

| CO | Upon completion of this course the students will be able to : | PSO <br> addressed | $\mathbf{C L}$ |
| :---: | :--- | :--- | :--- |
| $\mathbf{C O}-\mathbf{1}$ | explain the fundamental concepts of analysis and their role in <br> modern mathematics. | PSO-3 | $\mathrm{U}, \mathrm{Ap}$ |
| $\mathbf{C O}-\mathbf{2}$ | deal with various examples of metric space, compact sets and <br> completeness in Euclidean space. | PSO- 2 | An |
| $\mathbf{C O - 3}$ | utilize the techniques for testing the convergence of sequence <br> and series | PSO-1 | Ap |
| $\mathbf{C O - 4}$ | understand the important theorems such as Intermediate valued <br> theorem, Mean value theorem, Roll's theorem, Taylor and <br> L'Hospital theorem | PSO-3 | U |
| $\mathbf{C O}-\mathbf{5}$ | apply the concepts of differentiation in problems. | PSO- 4 | Ap |

Semester : I

Major Core III
Name of the Course : Probability and Statistics
Subject code : PM2013

| CO | Upon completion of this course the students will be <br> able to : | PSO <br> addressed | CL |
| :--- | :--- | :--- | :--- |
| CO-1 | recall the basic probability axioms,conditional probability, <br> random variables and related concepts | PSO-2 | R |
| $\mathbf{C O - 2}$ | compute marginal and conditional distributions and check <br> the stochastic independence | PSO-2 | $\mathrm{U}, \mathrm{Ap}$ |
| $\mathbf{C O - 3}$ | recall Binomial, Poisson and normal distributionsand learn <br> new distributions such as multinomial, Chi square and <br> Bivariate normal distribution | PSO-4 | $\mathrm{R}, \mathrm{U}$ |
| $\mathbf{C O - 4}$ | learn the transformation technique for finding the p.d.f of <br> functions of random variables and use these techniques to <br> solve related problems | PSO-1,3 | $\mathrm{U}, \mathrm{Ap}$ |
| $\mathbf{C O - 5}$ | employ the relevant concepts of analysis to determine <br> limiting distributions of random variables | PSO-5 | Ap |

## Semester

Name of the Course
Subject code

| CO | Upon completion of this course the students will be able to : | $\begin{gathered} \text { PSO } \\ \text { addressed } \end{gathered}$ | CL |
| :---: | :---: | :---: | :---: |
| CO-1 | recall the definitions of degree and order of differential equations and determine whether a system of functions is linearly independent using the Wronskian definition. | PSO-2 | R,U |
| CO-2 | solve linear ordinary differential equations with constant coefficients by using power series expansion. | PSO-3 | Ap |
| CO-3 | determine the solutions for a linear system of first order equations. | PSO-2 | U |
| CO-4 | learnproperties of Legendre polynomials and Properties of Bessel Functions. | PSO-4 | U |
| CO-5 | analyze the concepts of existence and uniqueness of solutions of the ordinary differential equations. | PSO-2 | An |
| CO-6 | create differential equations for a large number of real world problems. | PSO-1 | C |

Semester : I

Name of the Course : Numerical Analysis

## Elective I

Course Code : PM2015

| CO | Upon completion of this course the students <br> will be able to : | PSO <br> addressed | CL |
| :--- | :--- | :--- | :--- |
| CO -1 | recall the methods of finding the roots of the algebraic and <br> transcendental equations. | PSO -2 | R |
| CO -2 | understand the significance of the finite, forward, backward <br> and central differences and their properties. | PSO -3 | U |
| CO -3 | learn the procedures of fitting straight lines and curves. | PSO -2 | U |
| CO -4 | compute the solutions of a system of equations by using <br> appropriate numerical methods. | PSO -1 | Ap |
| CO -5 | solve the problems in ODE by using Taylor's series method, <br> Euler's method etc. | PSO -4 | Ap |

Semester : II Major Core V
Name of the course : Modules and Vector Spaces
Course code : PM2021

| CO | Upon completion of this course the students will be able to : | PSOs addressed | CL |
| :---: | :---: | :---: | :---: |
| CO-1 | recall the definitions and properties of Vector Spaces and Subspaces | PSO-2 | R |
| CO-2 | analyze the concepts Linear Independence, Dependence and Basis | PSO-2 | An |
| CO-3 | apply the definition and properties of Linear transformation and Matrices of Linear transformation | PSO-3 | Ap |
| CO-4 | gain knowledge about characteristic polynomial, eigen vectors, eigen values and eigen spaces as well as the geometric and the algebraic multiplicities of an eigen value | PSO-1 | U |
| CO-5 | learn and apply Jordan form and triangular form for computations | PSO-4 | U |

Semester : II

Major Core VI
Name of the Course : Analysis II
Subject code

| $\mathbf{C O}$ | Upon completion of this course the students will be <br> able to : | POs/PSOs <br> addressed | CL |
| :--- | :--- | :--- | :--- |
| $\mathbf{C O}-\mathbf{1}$ | recall the definition of continuity, boundedness and <br> some results on uniform convergence | PSO-1 | R |
| $\mathbf{C O}-\mathbf{2}$ | recognise the difference between pointwise and uniform <br> convergence of a sequence of functions and Riemann <br> Stieltjes integrals. | PSO-2 | An |
| $\mathbf{C O - 3}$ | understand the close relation between equicontinuity <br> and uniform convergence of sequence of continuous <br> function and rectifiable curves | PSO-3 | U |
| $\mathbf{C O}-\mathbf{4}$ | learnParseval's theorem, Stone Weierstrass theorem and <br> know about its physical significance in terms of the <br> power of the Fourier components. | PSO-4 | U |
| $\mathbf{C O - 5}$ | utilize the definition of differentiation and partial <br> derivative of function of several variables to solve <br> problems | PSO-3 | Ap |

## Semester

Name of the Course
Subject code

## : II

## : Partial Differential Equations

: PM2023

| CO | Upon completion of this course the student will be able <br> to: | PSOs <br> addressed | CL |
| :--- | :--- | :--- | :--- |
| CO-1 | recall the definitions of complete integral, particular <br> integral and singular integrals. | PSO-2 | R |
| CO-2 | learn some methods to solve the problems of non- linear <br> first order partial differential equations. homogeneous and <br> non homogeneous linear partial differential equations with <br> constant coefficients and solve related problems. | PSO-1 | U |
| CO-3 | analyze the classification of partial differential equations in <br> three independent variables - cauchy's problem for a <br> second order partial differential equations. | PSO-3 | An |
| CO-4 | solve the boundary value problem for the heat equations <br> and the wave equation. | PSO-4 | Ap |


| CO-5 | apply the concepts and methods in physical processes like <br> heat transfer and electrostatics. | PSO-5 | Ap |
| :--- | :--- | :--- | :--- |

Semester
: II
Major Core VIII
Name of the Course : Graph Theory
Course Code : PM2024

| CO | Upon completion of this course the students will be able to : | PSO <br> addressed | CL |
| :--- | :--- | :--- | :--- |
| $\mathbf{C O - 1}$ | identify cut vertices and understand various versions of <br> connectedness of a graph. | PSO-1 | An |
| $\mathbf{C O - 2}$ | understand the concept of Digraphs and characterize Eulerian <br> Digraphs. | PSO-4 | U,C |
| $\mathbf{C O - 3}$ | recall the definitions of Matchings and design proof for <br> characterization of graphs containing a 1-factor. | PSO-1 | R |
| $\mathbf{C O - 4}$ | solve problems involving coloring and learn necessary <br> conditions for planar graphs. | PSO-2,3 | Ap |
| $\mathbf{C O}-\mathbf{5}$ | learn the basic definitions of domination and review the concept <br> of distance in a graph. | PSO-4 | U |

## Semester

Name of the Course
Course code : PM2025
: II

## Elective II

: Classical Dynamics

| CO | Uponcompletion ofthiscoursethestudents <br> Willbeableto: | PSO <br> addressed | $\mathbf{C}$ <br> $\mathbf{L}$ |
| :--- | :--- | :--- | :--- |
| CO-1 | recall the concepts of Newton's laws of motion, momentum, <br> acceleration, motion of a particle. | $\mathrm{RSO}-4$ |  |
| CO-2 | understanding the generalized co-ordinates of the Mechanical system. | PSO-1 | U |
| CO-3 | apply D'Alembert's Principle to solve the problems involving <br> System of particles. | PSO-2 | Ap |
| CO-4 | Solve the Newton's equations for simple configuration using <br> Various methods. | PSO-1 | C |


| CO-5 | transforming the Lagrangian equations to Hamiltonian equations. |  | PSO-2 | U |
| :---: | :---: | :---: | :---: | :---: |
| CO-6 | define the canonical transformations and Lagrange and Poisson brackets. |  | PSO-4 | R |
| Semester : III |  |  |  |  |
| Name of the course : Field Theory and Lattices |  |  | Major Core IX |  |
| Course code : PM2031 |  |  |  |  |
|  | CO | Upon completion of this course the students will be able to : | $\begin{gathered} \text { PSO } \\ \text { addressed } \end{gathered}$ | CL |
|  | CO-1 | recall the definitions and basic concepts of field theory and lattice theory | PSO-2 | U |
|  | CO-2 | express the fundamental concepts of field theory, Galois theory | PSO-2 | U |
|  | CO-3 | demonstrate the use of Galois theory to construct Galois group over the rationals and modules | PSO-3 | E |
|  | CO-4 | distinguish between field theory and Galois theory | PSO-3 | Ap |
|  | CO-5 | interpret distributivity and modularity and apply these concepts in Boolean Algebra | PSO-4 | Ap |

SemesterName of the Course

## Major Core $\mathbf{X}$

: Topology

$$
\text { Course code }: \text { PM2032 }
$$

| CO | Upon completion of this course the students <br> will be able to : | PSO <br> addressed | CL |
| :--- | :--- | :--- | :--- |
| CO -1 | understand the definitions of topological space, closed sets, <br> limit points, continuity, connectedness, compactness, <br> separation axioms and countability axioms. | PSO -3 | U |
| CO-2 | construct a topology on a set so as to make it into a topological <br> space | PSO -4 | C |
| CO-3 | distinguish the various topologies such as product and box <br> topologies and topological spaces such as normal and regular <br> spaces. | PSO -3 | $\mathrm{U}, \mathrm{An}$ |
| CO-4 | compare the concepts of components and path components, <br> connectedness and local connectedness and countability <br> axioms. | PSO -2 | E, An |
| CO-5 | apply the various theorems related to regular space, normal <br> space, Hausdorff space, compact space to other branches of <br> mathematics. | PSO -1 | Ap |
| CO -6 | construct continuous functions, homeomorphisms and <br> projection mappings. | PSO -4 | C |


| Semester | : III |
| :--- | :--- |
| Name of the Course | : Measure Theory and Integration Major Core XI |
| Subject Code | :PM2033 |


| CO | Upon completion of this course thestudents <br> will be able to : | PSOs <br> addressed | CL |
| :---: | :--- | :--- | :--- |
| $\mathrm{CO}-$ <br> 1 | define the concept of measures and Vitali covering and <br> recall <br> some properties of convergence offunctions, | $\mathrm{PSO}-1$ | R |
| $\mathrm{CO}-$ <br> 2 | cite examples of measurable sets , measurable functions, <br> Riemann integrals, Lebesgue integrals. | PSO - 3 | U |
| $\mathrm{CO}-$ <br> 3 | apply measures and Lebesgue integrals to various <br> measurable sets and measurable functions | $\mathrm{PSO}-2$ | Ap |
| $\mathrm{CO}-$ <br> 4 | apply outer measure, differentiation and integration to <br> intervals , functions and sets. | $\mathrm{PSO}-2$ | Ap |
| $\mathrm{CO}-$ <br> 5 | compare the different types of measures and Signed <br> measures | PSO - 3 | An |

Semester : III

Elective III
Name of the Course: Algebraic Number Theory and Cryptography
Course code : PM2034

| CO | Upon completion of this course the students will be able to : | PSO <br> addressed | CL |
| :---: | :---: | :---: | :---: |
| CO-1 | Recall the basic results of field theory | PSO-1 | R |
| CO-2 | Understand quadratic and power series forms and Jacobi symbol | PSO-2 | U |
| CO-3 | Apply binary quadratic forms for the decomposition of a number into sum of sequences | PSO-3 | Ap |
| CO-4 | Determine solutions using Arithmetic Functions | PSO-3 | Ap |


| CO - 5 | Calculate the possible partitions of a given number <br> and draw <br> Ferrer's graph | PSO - 2 | An |
| :--- | :--- | :--- | :--- |
| CO-6 | Identify the public key using Cryptography | PSO - 4 | An |
| Semester $\quad$ :IV | Major Core XII |  |  |

Name of the Course : Complex Analysis
Subject code
: PM2041

| CO | Upon completion of this course the students <br> will be able to : | PSO <br> addressed | CL |
| :--- | :--- | :--- | :---: |
| CO -1 | understand the fundamental concepts of complex variable <br> theory | PSO -1 | U |
| CO -2 | effectively locate and use the information needed to prove <br> theorems and establish mathematical results | PSO -3 | R |
| CO -3 | demonstrate the ability to integrate knowledge and ideas of <br> complex differentiation and complex integration | PSO -4 | U |
| CO-4 | use appropriate techniques for solving related problems and for <br> establishing theoretical results | PSO -3 | Ap |
| CO -5 | evaluate complicated real integrals through residue theorem | PSO -2,4 | E |

Semester
: IV
: Functional Analysis
Name of the Course
Course Code : PM2042

Major Core XIII

| CO | Upon completion of this course the students <br> will be able to : | PSOs <br> addressed | CL |
| :---: | :--- | :--- | :--- |
| $\mathrm{CO}-1$ | learn and understand the definition of linear space, <br> normed linear space, Banach Space and their examples | PSO -1 | R |
| $\mathrm{CO}-2$ | explain the concept of different properties of Banach <br> Spaces, Hahn Banach theorem | PSO -2 | U |
| $\mathrm{CO}-3$ | compare different types of operators and their properties, <br> Natural imbedding | PSO -2 | Ap |
| $\mathrm{CO}-4$ | explain the ideas needed for open mapping theorem, <br> Open Mapping theorem | PSO -1 | C |


| $\mathrm{CO}-5$ | construct the idea of projections , the spectrum of an operator <br> and develop problem solving skills , Matrices, <br> Determinants | Ap |
| :--- | :--- | :--- |


| Semester | $:$ IV | Major Core XIV |
| :--- | :--- | :--- |
| Name of the course | $:$ | Operations Research |
| Course code | $:$ PM2043 |  |


| CO | Upon completion of this course the students <br> will be able to : | PSO <br> addressed | CL |
| :---: | :--- | :--- | :--- |
| CO -1 | explain the fundamental concept of DP model , Inventory <br> model and Queuing model | PSO - 2 | U |
| CO - 2 | relate the concepts of Arrow (Network)diagram <br> representations, in critical path calculations and construction <br> of the Time chart | PSO - 3 | U |
| CO - 3 | distinguish deterministic model and single item | PSO - 3 | E |
| CO - 4 | interpret Poisson and Exponential distributions and apply <br> these concepts in Queuing models | PSO - 4 | Ap |
| CO -5 | solve life oriented decision making problems by optimizing <br> the objective function | PSO - 1 | C |

Semester : IV

Major Core XV
Name of the course : Algorithmic Graph Theory
Course code : PM2044

| CO | Upon completion of this course the students <br> will be able to : | PSO <br> addressed | CL |
| :--- | :--- | :---: | :---: |
| CO -1 | understand basic algorithms and write algorithms for simple <br> computing | PSO -1 | U |


| CO-2 | analyze the efficiency of the algorithm | PSO -2 | An |
| :--- | :--- | :--- | :---: |
| CO - 3 | understand and analyze algorithmic techniques to study basic <br> parameters and properties of graphs | PSO -2 | R |
| CO-4 | use effectively techniques from graph theory, to solve practical <br> problems in networking and communication | PSO -3 | Ap |

## Semester

## Elective IV (a)

Name of the Course : Combinatorics
Course Code : PM2045

| CO | Upon completion of this course the students <br> will be able to : | PSO <br> addressed | CL |
| :--- | :--- | :--- | :--- |
| CO - 1 | discuss the basic concepts in permutation and combination, <br> Recurrence Relations, Generating functions, The Principle of <br> Inclusion and Exclusion | PSO - 1 | U |
| CO-2 | distinguish between permutation and combination, distribution <br> of distinct and non-distinct objects | PSO - 2 | An |
| CO -3 | correlate recurrence relation and generating function | PSO - 2 | An |
| CO -4 | solve problems by the technique of generating functions, <br> combinations, recurrence relations, the principle of inclusion <br> and exclusion | PSO -3 | Ap |
| CO -5 | interpret the principles of inclusion and exclusion, equivalence <br> classes and functions | PSO - 4 | An |

